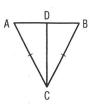
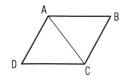
## **Congruent triangles**

Identify each geometric statement which allows you to conclude that the adjacent triangles ACD and BCD are congruent, considering that:



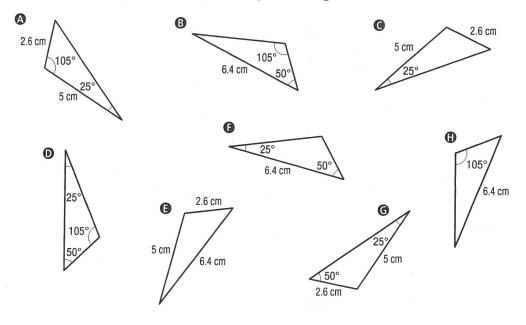
- a)  $\overline{\text{CD}}$  is a median. \_\_\_\_\_
- b)  $\overline{\text{CD}}$  is a bisector of angle ACB.
- c)  $\overline{\text{CD}}$  is the perpendicular bisector of segment AB.
- In the adjacent illustration, AC is a diagonal in the parallelogram ABCD. Complete the following proof to show that ABC and ACD are congruent.



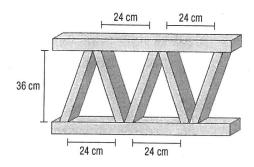
\_\_\_\_\_ Date: \_

(cont'd)

Identify pairs of congruent triangles using the triangles below.



The adjacent illustration depicts a construction beam used to support a floor. The five straight pieces of wood are equal in length.

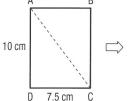


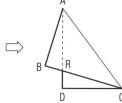
- a) What geometric statement allows you to state that there are 4 congruent triangles within the beam?
- b) What is the length of one of the straight pieces of wood?

Group:

A piece of rectangular paper is folded lengthwise, along one of its diagonals, as shown in the adjacent illustration.

\_ Date: \_

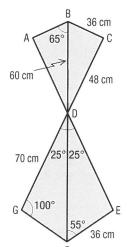




a) Complete the table below to show that triangles ABR and CDR are congruent.

STATEMENT	JUSTIFICATION
$\overline{AB}\cong\overline{CD}$	1)
$\angle B \cong \angle D$	2)
$\angle ARB \cong \angle CRD$	3)
$\angle$ BAR $\cong$ $\angle$ DCR	4)
$\Delta ABR \cong \Delta CDR$	5)

- b) What is the perimeter of triangle ACR?
- For the construction of the kite illustrated below, 7 thin pieces of wood and 2 pieces of fabric were required.
  - a) 1) What is the measure of the angle DFG?
    - 2) On what geometric statement is your reasoning based?



- b) 1) What is the measure of the angle ADB?
  - 2) On what geometric statement is your reasoning based?
- c) 1) What type of triangle is BCD?
  - 2) On what geometric statement is your reasoning based?
- d) What geometric transformation allows you to associate triangles ABD and BCD as well as triangles DFG and DEF?